

INFRARED AND RAMAN SPECTRA OF 1,2 - DICHLOROETHANE AND ITS DEUTERIUM COMPOUND IN THE GASEOUS, LIQUID AND SOLID STATES

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ABSTRACT

The infrared and Raman spectra of 1,2-dichloroethane and its deuterium compound in the gaseous, liquid and solid states have been remeasured in the wide range of wave length by the experimental techniques developed recently. Normal coordinate treatments have been made for crystals as well as for free molecules by use of computer programs made by us, and all the vibrational frequencies observed for free molecules and crystals have been assigned satisfactorily. Our previous conclusions of the existence of the trans and gauche forms

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have been confirmed spectroscopically and, furthermore, supported theoretically by the quantum mechanical treatment of the internal rotation.

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I. Introduction

Since the early days of 1930's the structure of a large number of molecules have been studied in our laboratory in relation to the internal rotation about single bonds as axes as summarized by MIZUSHIMA (1954 and 1963). During this period and even after that, when we found something new which could not be explained satisfactorily from the conclusion so far obtained, we have always reexamined the molecular structure of 1,2-dichloroethane ClH2 C-CH2 Cl which was the first substance of the series of our researches. The reexaminations including those of infrared and Raman spectra, dielectric constants, electron diffraction and entropy, have often given us clues to the explanation of the experimental results found newly for the internal rotations of many other polyatomic molecules including those of polymers. The conclusion arrived at in early 1940's and published by MIZUSHIMA, Morino and Shimanouchi (1942) was that in the gaseous and the liquid states the molecules of 1,2-dichloroethane assume the trans and gauche forms, but in the solid state only the trans form (see Fig. 1). It was also found by Mizushima and Morino (1938) that the bands due to the rotational lattice modes change on crossing the transition point at -96° C.

While we have been extending our researches along this line, other authors e.g. Ozora, Nakagawa and Ito (1970) and Kveseth (1974), have made measurements on this substance by various experimental methods. The results are in good agreement with ours.

The incentive of the present remeasurement and calculation was given by the recent development of the experimental

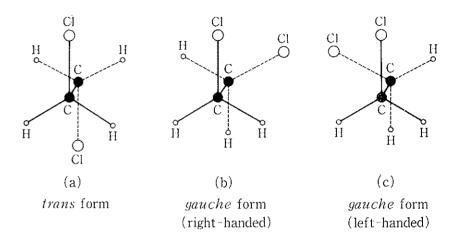


Fig. 1 — Stable conformations of 1,2-dichloroethane.

techniques together with our success in making a package of computer programs by Shimanouchi (1968) and those by Takeuchi, Inagaki, Harada and Shimanouchi (1973, 1975) for the more accurate calculation of the vibrational and torsional frequencies and vibrational modes so that we can make clear some points left undetermined in our previous work.

II. EXPERIMENTAL

The infrared spectra were measured with a Japan Spectroscopic 402G Grating Spectrometer except for those in the long wave length region where a Hitachi FIS-1 Vacuum Spectrometer was used. The Raman spectra were recorded using a JEOL JRS-400D Spetrometer with a CR-3 argon ion laser (5145Å).

The sample of ClD₂C-CD₂Cl used was that of Merck Sharp & Dohme of Canada.

III. CALCULATION

The calculation of modes of vibration was first made by Mizushima and Morino (1934) as a four body problem $Cl(CH_2)(CH_2)$ Cl and was improved by Mizushima, Morino and Shimanouchi (1942) and Mizushima, Shimanouchi, Nakagawa and Miyake (1953). The calculation as an eight body problem was first made by Nakagawa and Mzushima (1953) and recently by Miyazawa and Fukushima (1965) and Tanabe (1972).

In the present paper a more exact calculation as an eight body problem was made, using molecular parameters (bond lengths, bond angles and torsion angle) obtained by electron diffraction investigation by KVESETH (1974).

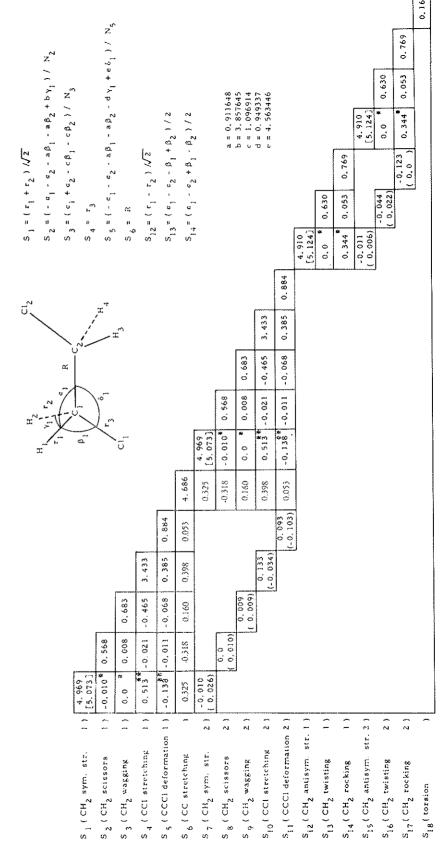
For the potential energy we took into account two factors: one is the intramolecular potential expressed by the local symmetry coordinates and the other is the atom-pair potential which arises from the interactions between the two CH₂ Cl halves of the molecule and also from the intermolecular interactions in the crystal.

We first obtained the force constants for the free molecule by the least squares adjustments, using the frequencies of $C_2H_4Cl_2$ and $C_2D_4Cl_2$ observed in the gaseous state. For the frequencies which were not observed in the gaseous state, we used the liquid phase frequencies with less weights for the force constant adjustments. Then we calculated the lattice vibration frequencies, refined the intermolecular potential constants and repeated the above procedure. The force constants thus obtained are given in Fig. 2 and Table 1 and the calculated frequencies are listed in Tables 2, 3 and 4 together with the observed ones.

IV. EXPERIMENTAL RESULTS AND DISCUSSION

A) Solid State

In our previous paper by ICHISHIMA and MIZUSHIMA (1950), the crystal field was considered to have a center of



Stretching constants ts in parentheses are are transfered from A/(rad)². Force constants with a single asterisk at ield of 1,2-dichloroethane. N's stand for the mydn/rad and torsion constants are in mydn Å the deuterium compound. Constants marked field units of myc gauche forr and those units

TABLE 1 — Atom-pair potentials *

A (Kcal mol ⁻¹)	$B(A^{-1})$	C (Kcal Å ⁶ mol ⁻¹)	Reference**
2654	3.74	27.3	(1)
8766	3.67	125	(1)
83630	3.60	<i>5</i> 68	(1)
11290	3.627	281	******
87130	3.577	1283	******
229000	3.513	2900	(2)
	2654 8766 83630 11290 87130	2654 3.74 8766 3.67 83630 3.60 11290 3.627 87130 3.577	2654 3.74 27.3 8766 3.67 125 83630 3.60 568 11290 3.627 281 87130 3.577 1283

^{*} The form of the potential functions used in this calculation is Buckingham exp-6 type, $V(r) = A \exp{(-B \, r)} - C \, r^{-6}$, where r is less than 6 Å. The $H \dots$ Cl and $C \dots$ Cl potential parameters were adjusted to give the fit with the observed lattice frequencies.

symmetry which allows three kinds of rotatory vibrations to appear in the Raman effect. At that time we found only two lines, because the photographic method used in the experiment by MIZUSHIMA and MORINO (1938) did not allow us to detect satisfactorily low frequency Raman lines which tended to be masked by the wings of the strong unmodified lines. With the use of a laser as an exciting source and a suitable photomultiplier system as a detector, the experimental difficulties in this frequency region have been overcome and satisfactory results of the measurement have been obtained as shown in Fig. 3.

Soon after our above paper (1950) was published, the X-ray analysis of crystalline 1,2-dichloroethane was made by MILBERG and LIPSCOMB (1951) and REED and LIPSCOMB (1953) and LIPSCOMB and WANG (1961) who showed that the unit cell contains two molecules and the crystal field has a center of symmetry as we expected. Therefore, the three rotatory vibrations mentioned above are Raman active. How-

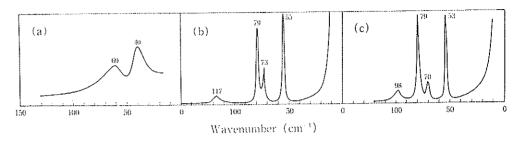


Fig. 3 — Raman spectra of polycrystalline 1,2-dichloroethane in the lattice mode region. (a) ClH₂C-CH₂Cl above tre transition point, (b) ClH₂C-CH₂Cl at 77°K (below the transition point) and (c) ClD₂C-CD₂Cl at 77°K.

ever, to be more exact, we have to take into account the interaction between molecules which results in symmetric antisymmetric rotatory vibrations and we expect six Raman bands: two for every three axes x, y and z, of which z is chosen as the molecular axis, or the axis joining two chlorine atoms and x and y as the axes, both perpendicular to the z axis (x lies in the CICCCI plane).

The bands observed at 117 cm⁻¹ for C₂H₄Cl₂ below the transition point which has the highest frequency can be assigned to the rotatory oscillation about the z axis, because the moment of inertia about the molecular axis is much less than those of the other two, and the change of frequency is greatest on deuteration (98 cm⁻¹ for C₂D₄Cl₂). It is very probable that this broad band corresponds to one of the two rotatory vibrations about the z axis and the other is too weak to detect. Of the remaining four modes, two arising from the rotatory vibrations with the strong intermolecular interactions are expected to appear at higher frequencies. Thus we can assign the bands at 79 cm⁻¹ and 73 cm⁻¹ of C₂H₄Cl₂ and those at 79 cm⁻¹ and 70 cm⁻¹ of C₂D₄Cl₂ to these modes of vibrations. The remaining two with weaker interactions for rotatory vibrations are then assigned to 55 cm⁻¹ for C₂H₄Cl₂ and 53 cm⁻¹ for C₂D₄Cl₂, respectively. The calcul-

^{** (1)} WILLIAMS (1967) and (2) DASHEVSKY (1970).

Table 2 — Observed and calculated frequencies of the trans form (cm^{-1}) *

(a) Raman active modes

	37.1	ClCH ₂ Cl	I ₂ Cl	C!CD₂CD	₂ CI
	Mode	obs. (Raman)	calc.	obs. (Raman)	calc
		2979	2955		2167
v_t (a_g)	CH₂ sym. str.	2960		2179	
		2964		2180	
			1430		1162
$v_2(a_g)$	CH₂ sciss.	1431		1160	
		1458		1164	
		1437		1161	
	7.000 Main	1310	1319	And a stricture	1039
v_3 (a_g)	CH₂ wag.	1306		1036	
		1313		1035	
		1301		1025	
		1057	1049		913
ν_{4} (a_{g})	CC str.	1052		909	
		1060		916	
		1057		906	
	######################################	772	775	_	697
v_5 (a_g)	CCl str.	754		708	
		748		694	
		305	295		290
v_6 (a_a)	CCCl def.	302		299	
		305		302	
		300		298	
		3001	3002		2265
$v_{11}(b_{\epsilon})$	CH2 antisym, str.	3005		2264	
		3009		2272	
		1267	1260	MARIN.	981
$v_{12}(b_g)$	CH2 twist.	1263		975	
		1265		972	
		1263		967	
		996	1001	<u> </u>	765
v_{13} (b_8)	CH₂ rock.	989		768	
		992		767	

TABLE 2 (continued)

(b) Infrared active modes

		CICH₂C	H ₂ Cl	ClCD₂CI	D ₂ Cl
	Mode	obs. (IR)	calc.	obs. (IR)	calc.
ν ₇ (a _u)	CH₂ antisym. str.	3009 3005 3040	3009	2271 2280	2268
v ₈ (a _n)	CH2 twist.	1124 1124 1135 1132	1126	817 817 820 820	800
v ₉ (a _n)	CH₂ rock.	772 768 768	774	568 568	578
ν ₁₀ (a _n)	torsion	122 125 164	123	128 151	114
ν ₁₄ (b _a)	CH2 sym. str.	2983 2957 2980	2976	2185 2178 2179	2186
ν ₁₅ (b _α)	CH ₂ sciss.	1461 1450 1460 1447	1460	1085 1077 1081 1081	1079
ν ₁₆ (b _u)	CH ₂ wag.	1233 1230 1236 1232	1243	944 941 941 941	939
v ₁₇ (b _u)	CCl str.	727 709 700	731	707 689 683	702
ν _{ιδ} (b _α)	CCCI def.	221 230 234	219	217 218	207

^{*} For each vibration the first row gives the frequency in the gaseous state, the second that in the liquid state and the third that in the solid state. When the splittings due to the crystal field are observed, they are given in the third and fourth rows.

— Observed and calculated frequencies of the gauche form (cm⁻¹) ** TABLE 3

(a) Raman active modes

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	***************************************	CIC	CICH,CH,CI)	CICD,CD,CI	
	Mode	obs. (Raman)	obs. (IR)	calc.	obs. (Raman)	obs. (IR)	calc.
v; (a)	CH2 antisym. str.	3005	3005	3005	2264	2265	2266
v ₂ (a)	CH ₂ sym. str.	2966 2957	2957	2968	2169	2171	2176
v3 (a)	CH, sciss,	1446	_	1448	1150	1153	1154
y4 (a)	CH, wag.	1315	1315 1312	1307	1044	1052 1043	1050
v ₅ (a)	CH2 twist.	1214		1212	941		924
y ₆ (a)	CC str.	1033	1028	1029	827	828	827
v ₇ (a)	CH ₂ rock.	950 942	947 944	943	768, 746	759 769, 748	737#
vs (a)	CCl str.	670 655	699	899	617	624	627
v ₉ (a)	CCCI def.	263 262	272	274	229		240
ง ₁₀ (a)	torsion	122	 125	121	120		11.7

TABLE 3 (continued)

(b) Infrared active modes

	- - - - - -	CIC	CICH,CH,CI			CICD;CD;CI	
	Mode	obs. (Raman) obs. (IR)	obs. (IR)	calc.	obs. (Raman)	obs. (IR)	calc.
ун (b)	CH2 antisym. str.	3005	3005	3006	2264	2265	2266
ν ₁₂ (b)	CH2 sym. str.	2957	2957 2957	2962	2169	2171	2176
у ₁₃ (b)	CH ₂ sciss.	1431	1436 1433	1442	1060	1067	1067
ν ₁₄ (b)	CH2 wag.	1289	1292 1286	1285	1013	1022	1020
v ₁₅ (b)	CH ₂ twist.	1142	1146 1143	1147	827	828	827
ر(q) مام	CH, rock.	880	891	885	(208)	(707)	712
ν ₁₇ (b)	CCI str.	675	694 678	269	- 646	643	638
v _{is} (b)	CCC1 def.	411	410	413	365	365	370

For each vibration the first row gives the frequency in the gaseous state and the second row gives that in the liquid state. The two Raman and infrared bands are ascribed to the Fermi resonance between v_7 and $v_8 \div v_{10}$. In the gaseous state v_{10} becomes lower in frequency and the Fermi resonance does not occur.

Table 4 — Observed and calculated lattice frequencies (cm^{-1})

	3.1.1	CICH	2CH2Cl	ClCD ₂	CD₂Cl
Species	Mode *	obs.	calc.	obs.	calc.
	R_z	117	111.6	98	94.4
Λ_r	R_{v}	79	79.2	79	75.4
	R_x	55	50.4	53	50.0
	Rz	,	97.0		86.5
B_a	$R_{\mathbf{y}}$	73	73.0	70	71.4
2-8	R_x	(55)	49.9	(53)	48.8
	T_{a}		83.8		82.5
A _u	T_{c}		47.4		46.7
Bu	T _b		51.3	*****	50.5

^{*} The dominant modes are given. R_x , R_y and R_z stand for the rotatory lattice vibrations about the axes x, y and z, respectively (see the text). T_a , T_b and T_c stand for the translation lattice vibrations along the crystal axes a, b and c, respectively.

ation shows the former correspond to the rotatory vibrations about the y axis and the latter to those about the x axis (as shown in Table 4).

Since the free rotation about the molecular axis sets in above the transition point, the bands at 117 cm⁻¹ assigned to the rotatory vibration about the z axis of C₂H₄Cl₂ disappears completely, as is expected. Furthermore, the moments of inertia about the x and y axes become equal to each other and so the two different bands observed at 60 cm⁻¹ and 40 cm⁻¹ are to be explained from the difference in the restoring forces between the two rotatory vibrations. As shown in Fig. 3 these two bands are so broad that each of them can be assigned to every two bands (symmetric and antisymmetric rotatory vibrations) observed below the transition point. We would like to note that these bands become broader, as the tempera-

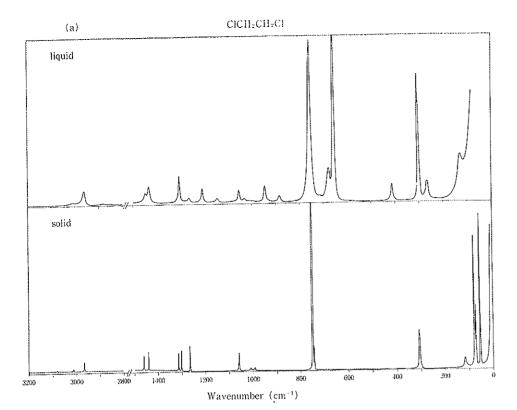
ture is raised, and the broadness of the higher frequency band becomes remarkable near the melting point. Evidently all the bands explained above disappear in the liquid state.

In Figs. 4 and 6 and Tables 2 and 4 all the infrared and Raman frequencies observed in the solid state are shown. It is seen that the mutual exclusion rule holds and we are sure that the molecule of 1,2-dichloroethane in this state assume the trans form with a center of symmetry. Furthermore, the agreement between the observed and calculated values is more satisfactory than those reported in our previous papers cited above. This is also the case for $C_2D_4Cl_2$.

It may not be out of place to make a remark on the difference of the torsional frequency (about the C-C single bond as axis) between the liquid and solid states. (See the infrared spectra shown in Fig. 6 and Table 2b). The frequency 125 cm⁻¹ observed for C₂H₄Cl₂ in the liquid state changes to 153 cm⁻¹ in the solid state above the transition point and to 164 cm⁻¹ below this point. The same tendency of the increase in frequency is also observed for C₂D₄Cl₂. The higher frequencies observed in the solid state can be explained as due to the crystal field which stabilizes the trans form in this state. Furthermore, we would like to note that the vibration band at 223 cm⁻¹ of C₂H₄Cl₂ previously observed by us and assigned to the CCCl antisymmetric deformation mode by MIZUSHIMA, Morino and Shimanouchi (1942) was also observed by Bonn et al. (1953). As shown in Fig. 6a this band is more clearly observed at 230 cm⁻¹ (liquid) and at 234 cm⁻¹ (solid below the transition point) in the present experiment. The corresponding bands of C₂D₄Cl₂ were found to appear at 217 cm⁻¹ (liquid) and at 218 cm⁻¹ (solid), respectively. (See Fig. 6a).

B) Liquid and Gaseous States

Our previous conclusion that the molecule of 1,2-dichloroethane in the liquid and gaseous states assume both the trans



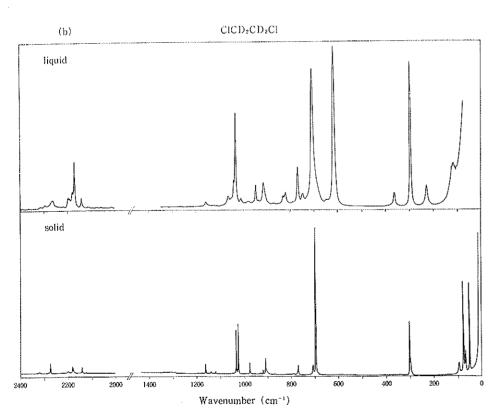
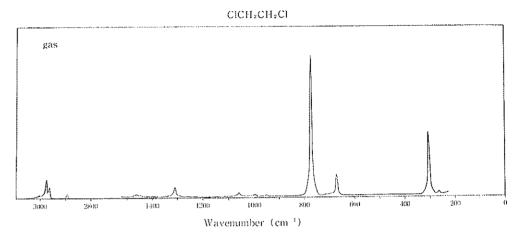


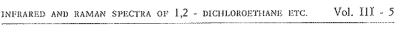
Fig. 4 — Raman spectra in the liquid and solid (at 77°K) states. (a) ClH₂-CH₂Cl and (b) ClD₂C-CD₂Cl.



 F_{16} . 5 — Raman spectrum of ClH₂C-CH₂C! in the gaseous state (60 torr at 24°C).

and the gauche forms has been confirmed by the more exact measurements of the present work. (See Figs. 4, 5 and 7 and Tables 2 and 3).

All the infrared and Raman frequencies (except for those arising from the trans form deformed in the liquid state as reported by Mizushima, Morino and Shimanouchi (1942)) can be assigned to the gauche form which has the symmetry C₂ and wich, therefore, can show the same frequencies in both the infrared and Raman spectra. The results of the present calculation which is more exact than those reported by us previously, confirm that the assignment of the observed frequencies is correct. The envelopes of the infrared absorption bands in the gaseous state observed by us (1959) are in good agreement with this assignment. The difference in the relative intensity of the bands between the liquid and gaseous states is due to the difference in the equilibrium ratio between the trans and the gauche molecules as explained in our previous papers. (See, e. g. Mizushima, 1954).



C) Quantum Mechanical Treatment of Internal Rotation

The quantum mechanical treatment of the internal rotation of 1,2-dichloroethane is to be made as an asymmetric top problem. Since the reduced moment of inertia as well as the potential function depends on the torsion angle, both the kinetic energy and potential energy parts of the Schrödinger equation become the functions of the torsion angle. The torsional Hamiltonian for the case where the potential barrier is an even function of torsion angle, θ , is expressed as:

$$H_{i} = \frac{1}{2} p_{\theta} F(\theta) p_{\theta} + \frac{1}{2} \Sigma_{k} V_{k} (1 - \cos k\theta),$$

where $p_0 = -(0/0.0)$ and $F(\theta)$ is the effective inverse moment of inertia. The solution of the Schrödinger equation is obtained by solving the secular equation for the Hamiltonian matrix. Each matrix element is set up, using the free rotor wave function as the basis set. The computer program for the calculation of the torsional energy levels written by INAGAKI, HARADA and SHIMANOUCHI (1973) was used for the present purpose. Since we know experimentally the torsional frequencies of the trans form, the energy difference between the trans and gauche forms, and the torsion angle of the gauche form, we can obtain the numerical values of V_k 's for k=1, 2 and 3 as 1866.7, -1110.9 and 1917.5 cm⁻¹, respectively. Furthermore, using proper structural parameters, we can calculate $F(\theta)$ numerically as:

$$F(\theta) = 1.2458 - 0.2848 \cos\theta + 0.6346 \cos 2\theta - 0.2540 \cos 3\theta + 0.2164 \cos 4\theta - 0.1212 \cos 5\theta + 0.0842 \cos 6\theta - 0.0522 \cos 7\theta (cm-1).$$

Thus for the first eight transitions of the trans form the frequencies are calculated as 119.5, 116.8, 114.0, 111.0, 108.1, 104.8, 101.6 and 98.2 cm⁻¹ and the first four transitions of the gauche form as 117.6, 115.4, 113.0 and 110.4

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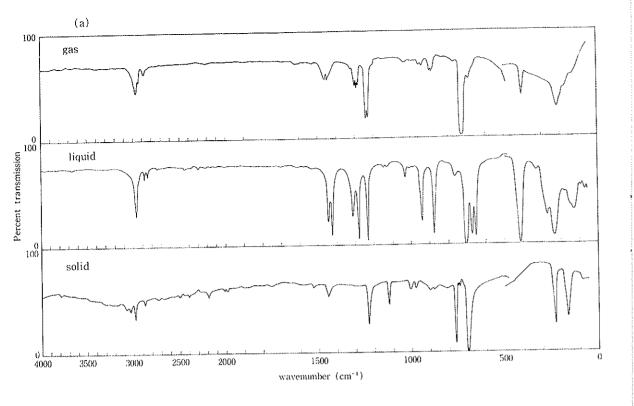


Fig. 6 — Infrared spectra of 1,2-dichloroethane in the gaseous, liquid and solid (at 77°K) states. (a) CIH₂C-CH₂Cl and (b) CID₂C-CD₂Cl.

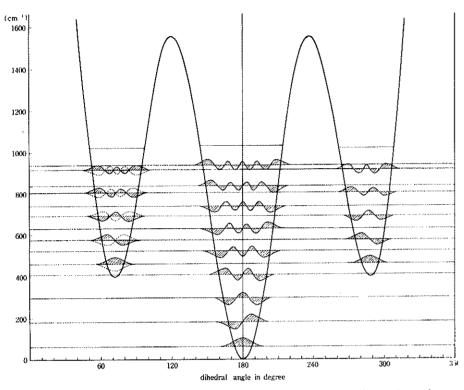


FIG. 7 — Energy levels and eigenfunctions for the internal rotation of 1,2-dichloroethane in the gaseous state. Each energy level belonging to the gauche form consists of the symmetric and antisymmetric ones, the eigenfunctions of the latter being denoted by the dotted lines.

cm⁻¹. The eigenfunctions belonging to the trans form have appreciable values only in the neighborhood of the trans state and those belonging to the gauche form only in the neighborhood of the gauche state. Thus it is shown that our proposition of rotational isomerism is also supported from the quantum mechanical point of view.

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